

## Assignment 2

1. Set matrices A and B to:

$$A = \begin{bmatrix} 12 \\ 35 \end{bmatrix}, \quad B = \begin{bmatrix} 31 \\ 48 \end{bmatrix}$$

Calculate  $C=A*B$  as matrix multiplication using loops and `matmul`. Print. Do results differ?

Write the sum of A as a whole, along dimension 1, and along dimension 2.

Print the first column of A.

Count how many numbers in  $A+B$  are larger than 5 and compute their sum; do not use any loop.

2. In the following data (to be read from a file), a line containing the dimensions of a 2-dimensional matrix is followed by the data values of this matrix.

```
2
1.5 3.2
2.7 3.3
4
4 3 2 1
5 4 3 2
6 5 4 3
7 6 5 4
1
10
3
1 2 3
4 5 6
7 8 9
```

Create the file above. Write a program using the dynamic memory allocation that will:

- a) read the dimension
- b) allocate a real matrix with the given dimensions
- c) read that matrix
- d) print that matrix
- e) deallocate the matrix
- f) continue from 2 until the end of file

## Optional

3. Write to file the following:

1 : printed 1 number(s)

1 2 : printed 2 number(s)

...

1 2 3 4 5: printed 10 number(s)

without using more than 2 write statements. Use clause ADVANCE='NO'.

4. Create a vector x of 100,000 reals and initialize  $x(i)=i+1.0/3.0$ . Store it in files in two formats:

a) formatted

b) unformatted

Then read the files and accumulate the sums. Compare timings of either reading using the CPU\_TIME subroutine.

Close files with options to delete them.

5. Write a function that calculates a trace. Initialize matrix X(100,100) to

$$x_{ij}=100*i+j-1$$

and calculate

$$\text{trace}(X_{1-50,1,50} X_{51-100,51-100})$$

Use matrix blocks (e.g.,  $x(1:2,5:100)$ ), function SUM and possibly function MATMUL. Also use the \* operator for matrices.

$$\text{trace}(\mathbf{X} \mathbf{Y}) = \sum_i (\mathbf{X}\mathbf{Y})_{ii}$$

$$\text{trace}(\mathbf{X} \mathbf{Y}) = \sum_{ij} x_{ij} y_{ij}$$

Definition: for symmetric matrices